

1. Determine the factor of the current compensation after 1 month of developing reservoir for data: flowrate of fluid  $23 \text{ m}^3/\text{day}$ , the pressure in the injection line  $21 \text{ MPa}$ , the average formation pressure for the contour area of the reservoir  $20 \text{ MPa}$ , the length of the line injection  $1000 \text{ m}$ ; layer thickness -  $17 \text{ m}$ , permeability -  $2 \cdot 10^{-13} \text{ m}^2$ , elastic capacity factor -  $2,5 \cdot 10^{-10} \text{ Pa}^{-1}$ ; the volume formation factor for oil -  $1.15$ ; volume formation factor for injected water and selected water -  $1.01$  and  $1.03$  respectively; the factor for the loss of water is taken as  $1.1$ ; water cut -  $21\%$ .

Data:

$t=30 \text{ days}$	$\beta^*=2,5 \cdot 10^{-10} \text{ Pa}^{-1}$
$Q_{oil}=23 \text{ m}^3/\text{day}$	$b_{oil}=1,15$
$P_{inj \text{ line}}=21 \text{ MPa}$	$b_w=1,01$
$P_f=20 \text{ MPa}$	$b_w'=1,03$
$B=1000 \text{ m}$	$n=20\%$
$h=17 \text{ m}$	$\psi=1,1$
$k=2 \cdot 10^{-13} \text{ m}^2$	

$$m_{cur}=?$$

$$Q_{inj} = Q_{oil} \cdot 30 = 23 \cdot 30 = 690 \text{ m}^3/\text{day}$$

$$m_{cur} = \frac{Q_{inj} b_w}{\left( Q_{oil} b_{oil} + Q_w b_w' + Q_{los} \right) k}$$

where  $Q_{inj}$  - volumetric flowrate injected water under standard conditions;  $b_w$  - volume formation factor for the injected water ( $b_w \cong 1,01$ );  $Q_{oil}$  - volumetric flowrate for the oil under standard conditions;  $b_{oil}$  - volume formation factor for the oil;  $Q_w$  - volumetric flowrate selected water under standard conditions;  $b_w'$  - volume formation factor for the selected water, which is different from the volume formation factor for fresh water;  $Q_{los}$  - loss of water that escapes the contour;  $k$  - factor for the loss of water in the periodic work injection wells, under breaks in water lines and other technological reasons. This ratio is assumed to be  $k = 1,1-1,15$ .

A factor of current compensation shows how forcing compensated selection at any given time. According to the current values of the coefficient compensation can make the following conclusions.

If  $m_{cur} < 1$  injection behind the selection and expect the average formation pressure should drop.

If  $m_{cur} > 1$  injection exceeds the selection and the formation pressure should rise.

When  $m_{cur} = 1$  should have been the stabilization of the current formation pressure at the current level, no matter what it was in early development

$$n = \frac{Q_w}{Q_{oil} + Q_w} = \frac{Q_w}{Q_{oil}} + 1 = \frac{Q_w}{Q_l}$$

$$Q_w = n \cdot Q_l = n \cdot (Q_w + Q_{oil})$$

$$Q_w = \frac{n \cdot Q_{oil}}{1 - n} = \frac{0,2 \cdot 23}{86400 \cdot (1 - 0,2)} = 6,66 \cdot 10^{-5} \text{ m}^3/\text{s} = 5,75 \text{ m}^3/\text{day}$$

$$Q_{los} = \frac{k B h}{\mu_w} \frac{P_{line} - P_f}{\sqrt{3} \sqrt{\chi t}} = \frac{2 \cdot 10^{-13} \cdot 1000 \cdot 17}{10^{-3}} \cdot \frac{(21 - 20) \cdot 10^6}{\sqrt{3 \cdot 0,8 \cdot 30 \cdot 86400}} = 13,6 \cdot 10^{-4} \text{ m}^3/\text{s} = 117,5 \text{ m}^3/\text{day}$$

$$\chi = \frac{k}{\mu \cdot \beta^*} = \frac{2 \cdot 10^{-13}}{10^{-3} \cdot 2,5 \cdot 10^{-10}} = 0,8 \text{ m}^2/\text{s}$$

$$m_{cur} = \frac{86400 \cdot 690 \cdot 1,01}{86400(23 \cdot 1,15 + 5,75 \cdot 1,03 + 117,5) \cdot 1,1} = 4,227$$

2. Calculate the pressure at a distance 200 m from the well, if the well is operated under the water drive with flowrate 160 m<sup>3</sup>/day. The distance from the well to drainage boundary - 1010 m, the formation pressure - 30 MPa, the productivity coefficient 40 t/day·MPa, the radius of well - 0,1 m, the density of oil - 880 kg/m<sup>3</sup>.

Data:

$$R=200 \text{ m}$$

$$R_{db}=1010 \text{ m}$$

$$Q=160 \text{ m}^3/\text{day}$$

$$P_f=30 \text{ MPa}$$

$$K_o=40 \text{ t/day} \cdot \text{MPa}$$

$$r_w=0,1 \text{ m}$$

$$\rho_{oil}=880 \text{ kg/m}^3$$

$P_r$ -?

$$P_r = P_f - \frac{P_f - P_{bh}}{\ln \frac{R_{db}}{r_w}} \cdot \ln \frac{R}{r_w}$$

$$Q = K_o \cdot \Delta P$$

$$\Delta P = P_f - P_{bh} = \frac{Q}{K_o}$$

$$K_o = \frac{40 \cdot 1000}{10^6 \cdot 880} \text{ m}^3/\text{day} \cdot \text{Pa}$$

$$\Delta P = \frac{160 \cdot 10^6 \cdot 880}{40 \cdot 1000} = 3,52 \cdot 10^6 \text{ Pa}$$

$$P_r = 30 \cdot 10^6 - \frac{3,52 \cdot 10^6}{\ln \frac{1010}{0,1}} \cdot \ln \frac{200}{0,1} = 27,098 \cdot 10^6 \text{ Pa}$$

Pressure at a distance 200 m 27.098 MPa.